

# Highly loaded magnetocaloric La(Fe,Si)<sub>13</sub>H powder Composites for additive manufacturing: Characterization and Modeling of field-induced Phase Transition

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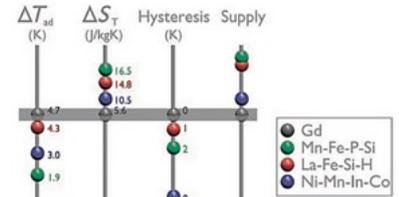
## Introduction

The gases used in current refrigeration systems are harmful to the environment (e.g. ozone depletion, greenhouse effect) [1-2]. An innovative and promising alternative is magnetic refrigeration based on the magnetocaloric effects (MCE) of solid alloys used in the form of regenerators [3]. Several prototypes of magnetocaloric (MC) regenerators have been built and show a high coefficient of performance (COP), but very few are on the market. These MC regenerators still have certain limitations, such as the brittleness of MC intermetallic alloys [4].

□ Aims: To develop and characterise a magnetocaloric composite highly loaded with magnetocaloric powder and based on polymer (PLA/LDPE + EVA + SA) by mixing dedicated to the 3D extrusion and additive manufacturing process / To carry out numerical simulations of the thermo-magnetic-mechanical coupling of the composite.

□ Scientific challenges: The composite must have relevant magnetocaloric properties ( $\Delta T_{ad}$  and  $\Delta S_M$ ) similar to the reference bulks materials (Gd, Gd derivative and Mn-Fe-Si-P).

where PLA denotes Poly(lactic acid), LDPE Low-Density Poly(ethylene), EVA Ethylene-Vinyl Acetate and SA Stearic Acid.



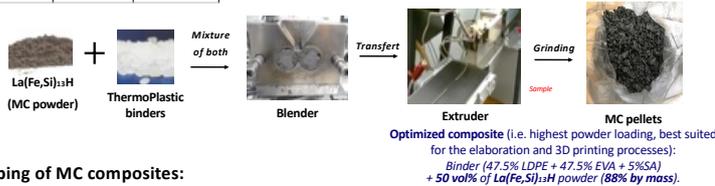
Classification of MC Materials with large MCE compared to Gd [5]

## Elaboration, Shaping and Characterisation of MagnetoCaloric (or MC) Composites

Elaboration of highly loaded MC composites [6]:

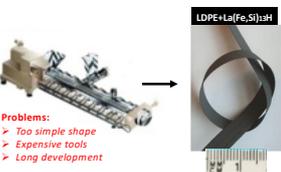
Materials in powder form	Transition temperature (K)	Entropy variation (J/kg.K)
Gd	293	3 ± 1
La(Fe,Si) <sub>13</sub> H	235	9-12 ± 1
Ni <sub>50</sub> Co <sub>50</sub> Mn <sub>50</sub> Si <sub>50</sub>	298	5 ± 1

Designation	Constituents of the binder: Polymers			Additives
	Poly(lactic acid) (PLA)	Low-Density Poly(ethylene) (LDPE)	Ethylene-Vinyl Acetate (EVA)	Stearic Acid (SA)
Function	Dedicated to 3D printing	Dedicated to extrusion	Improves elasticity	Improves powder wettability



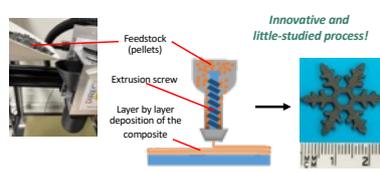
Shaping of MC composites:

• Shaping by extrusion [7]:



Problems:  
➢ Too simple shape  
➢ Expensive tools  
➢ Long development

• Shaping by 3D printing based on Pellets [8]:

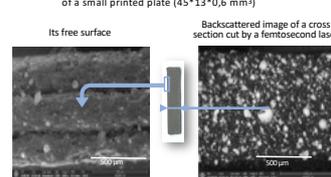


Innovative and little-studied process!

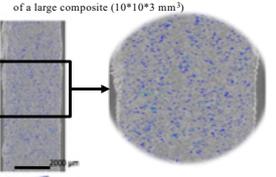
Structural analysis of the printed magnetocaloric composite [6]

(with optimized print settings: V = 10 mm/s,  $\phi_{buse} = 8$  mm, T = 413 K):

Scanning Electron Microscopy observations

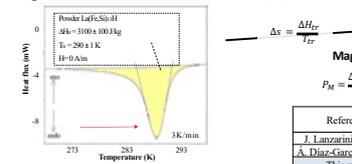


X-ray Tomographic Analysis



- Optimization of printing parameters leads to a printed composite with few defects
- Homogeneous distribution of 50 vol% of powder in the binder
- Low porosity uniformly distributed

Magnetocaloric characterization [6]:



Evaluation of entropy variation  $\Delta S$  by DSC measurement

Materials	$\Delta H_T$ (J/kg) ± 100	$\Delta S$ (J/kg.K) ± 0.1
Powder La(Fe,Si) <sub>13</sub> H	3100	10.7
Printed composite	2700	9.5

Magnetocaloric evaluation criteria  $P_M$   
 $P_M = \frac{\Delta S_{composite}}{\Delta S_{powder}} \cdot \frac{\rho_{powder}}{\rho_{composite}}$  if  $P_M = \rho_{powder}$  then same quantity of heat released or absorbed as the powder alone.

Reference	Main binder	Mass fraction $\phi_{mass}$ of powder La(Fe,Si) <sub>13</sub> H (% by mass)	Transition temperature (K)	$P_M$ (%)
J. Lanzarini et al. [7]	LDPE	92	293	92
A. Diaz-Garcia et al. [8]	PLA	55	285	45
This work	PLA	88	290	87

- Estimation close to the literature for La(Fe,Si)<sub>13</sub>H powder (~10 J.K<sup>-1</sup>.kg<sup>-1</sup> between 0-1T)
- High magnetocaloric properties of the composite thanks to its high powder charge and translated by the  $P_M$  criterion
- The magnetocaloric effect of the composite respects a mixing law (i.e. proportional to the mass fraction of powder)

## Modelling of field-induced Phase Transition in Ni-Co-Mn-In Single Crystal

Magnetization versus Temperature from [9]

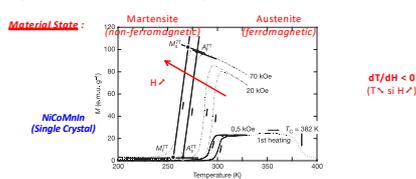
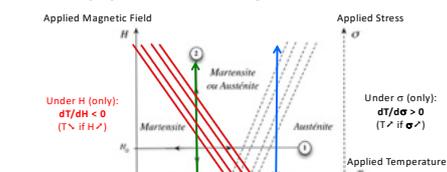


Figure 1: Thermomagnetization curves of the Ni<sub>45</sub>Co<sub>20</sub>Mn<sub>35</sub>In<sub>10</sub> alloy measured in several magnetic fields by the sample extraction method. The specimen quenched from 1173 K was first measured during heating in H = 0.5 kOe from room temperature to 473 K followed by furnace cooling. The magnetization change due to martensitic transformation was cyclically measured in the temperature range from 330 K to 200 K in the following order: H = 0.5, 20 and 70 kOe. 77° indicates values obtained at 7 tests (i=70 kOe).

Clausius-Clapeyron (or State) diagram from [12]



- ➔ Phase Transformation induced by Stress  $\sigma$ : Pseudo-elasticity (Well-known)
- ➔ For  $dT/dH > 0$ , Phase Transformation induced by Magnetic Field H (Jeong et al., Mat. Eng. A359 (2003))
- ➔ Reverse Phase Transformation induced by Stress  $\sigma$  (Also well-known)
- ➔ For  $dT/dH < 0$ , Reverse Phase Transformation induced by magnetic field H = Meta-magnetic behaviour

Modeling of Phase Transformation induced by magnetic field, mechanical stress and variation of temperature

In the framework of Thermodynamics of Irreversible Processes [10-12],  
 • Employed Variables:  
 $z$ : Volume fraction of Austenite

• Free Energy:

$$\Phi(\xi, T, \alpha) = \left( \frac{1}{2} (\xi - \xi_{(T)} - \xi_{(T)}^0)^2 + \xi_{(T)}^0 (\xi - \xi_{(T)} - \xi_{(T)}^0) - K_{(T)} \xi_{(T)}^0 \Delta \xi_{(T)}^0 \right) - \mu_0 [z \Delta M_{(T)} + M_{(T)}^0 G_{(H)}] + C_{(T)} (T - T_0) - T \ln \left( \frac{T}{T_0} \right)$$

with the choice of the deformation tensor of Phase Transformation:  $\xi_{(T)}^0 = (1-z)\xi^*$

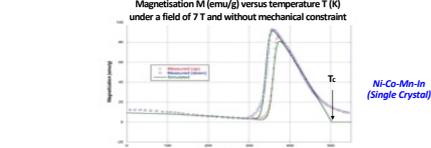
• Driving Force  $\pi_{(z)}$ :  
 By putting each State Laws on the Dissipation expression, we identify the Thermodynamic Driving Force that exert on the interface between Martensite and Austenite as being:

$$\pi_{(z)}^{\text{Th}} = \Delta \xi^* : \dot{\sigma} - k_{(z)} \sigma^2 + \mu_0 \Delta M_{(T)} G_{(H)} + \Delta S_V T - \Delta \mu_0$$

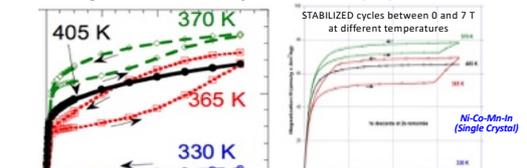
• Evolution law of variable  $z$ :  
 By introducing a Yield Surface and by writing the Consistency Equation, we obtain the Evolution Law of the volume fraction  $z$  of the Austenite formed by Mechanical Stress, Magnetic Field and Temperature variation as being:

$$\dot{z} = \frac{d\dot{z}}{dt} = \left[ \frac{\Delta \xi^*}{E} : \dot{\sigma} + \mu_0 \Delta M_{(T)} \dot{H} - k_{(z)} \sigma^2 + \Delta S_V \dot{T} - \Delta \mu_0 \right] T$$

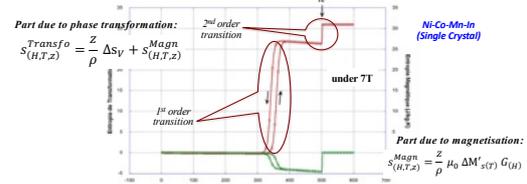
Temperature cycling: Experiment [13] & simulation



Meta-magnetic behavior: experiment [13] and simulation



Entropy variation during a temperature cycling: Simulation



## References

[1] X. Hou et al., Journal of Alloys and Compounds. 646 (2015) 503-511  
 [2] T. Gottschall et al., Nature Materials. 17 (2018) 929-934  
 [3] J. Lanzarini et al., J. of Materials Processing Tech. 273 (2019) 116244  
 [4] L. Hirsinger et al., J. Phys. IV Proc. 112 (2003) 977-980  
 [5] D. Bourgalet et al., APL Rep (2010) 132501  
 [6] K.K. Nielsen et al., International journal of refrigeration. 34 (2011) 603-616  
 [7] K.D. N'dri et al., Powder Technology 425 (2023) 118616  
 [8] A. Diaz-Garcia et al., Composites Communications. 35 (2022) 101352  
 [9] L. Hirsinger, Phys. Status Solidi C, 12 (2004) 3458  
 [10] J. Goulet et al., Progress in Materials Science. 93 (2018) 112-232  
 [11] A. Waske et al., MRS Bulletin, 43(04) (2018) 269-273  
 [12] A. Diaz-Garcia et al., Composites Communications. 35 (2022) 101352  
 [13] L. Hirsinger, Materials Today: Proc., 2 (2015) S597